## Due: Friday 24 Sep. at start of class except #1 due in WeBWorK Thursday 23 Sep. 5:00 p.m.

For Mathematica work, remember:

- print both your input cell(s) and the corresponding output;
- put printouts in their proper places among the solutions, so that all your work is in the order of the problem list; and
- you may write on printouts, too, or use Text cells there instead of writing on paper.
- 1. This question consists of set 421HW2 in *WeBWorK*. The answers to the questions there are due Thursday 23 Sep. 5:00 p.m.
- 2. Do page 21, Exercise 6, (b) and (c).
- 3. Do page 30, Exercise 7. Also find the set  $\arg(z_1)$ .
- 4. Do page 37, Exercise 2.
- 5. Do page 37, Exercise 4.
- 6. (a) With paper and pencil calculations, find the 6th roots of unity, each in Cartesian form a + bi.
  - (b) Repeat (a) but using *Mathematica*.
  - (c) Indicate which one is the *primitive* 6th root of unity, and why.
  - (d) In *Mathematica*, draw all six of them by using *Presentations*. In your drawing display the points (made big enough to see readily) as well as line segments that "connect the dots" to form a polygon.
- 7. Find the 6th roots of 64 + 64i. Leave your answers as exact expressions and not as numerical approximations.
- 8. Do page 38, Exercise 12. [*Hints:* The *n*th roots of unity are the zeros of the polynomial  $z^n 1$ ; what, then, does the factor theorem say about  $z^n 1$ ? Also, what do you get if you multiply  $1 + z + z^2 + \cdots + z^{n-1}$  by z 1?]