



these two motions? Apple falling from a tree vs. Moon orbiting Earth





2



The speed can be large enough for the projectile

to reach orbit and continuously fall toward the center of the Earth

- The Moon orbits the Earth by continuously falling toward its center
- Connection between "celestial mechanics" and "earthly mechanics"



**Newton's law of gravity** If two objects with masses  $m_1$  and  $m_2$  are a distance r apart, the objects exert attractive forces on each other of magnitude

$$F_{1 \text{ on } 2} = F_{2 \text{ on } 1} = \frac{Gm_1m_2}{r^2} \tag{6.21}$$

3

The forces are directed along the line joining the two objects.

The constant *G* is called the **gravitational constant**. In the SI system of units, *G* has the value

$$G = 6.67 \times 10^{-11} \,\mathrm{N} \cdot \mathrm{m}^2/\mathrm{kg}^2$$

## **Gravitational force problem 1**

A typical bowling ball is spherical, weighs 16 pounds, and has a diameter of 8.5 in. Suppose two bowling balls are right next to each other in the rack. What is the gravitational force between the two—magnitude and direction?

## **Gravitational force problem 1**

A typical bowling ball is spherical, weighs 16 pounds, and has a diameter of 8.5 in. Suppose two bowling balls are right next to each other in the rack. What is the gravitational force between the two—magnitude and direction?  $m_1 \qquad m_2$  5

$$\frac{Know}{w_{1} = 16 \text{ lb}} \frac{Find}{F_{1on2} = ?}$$

$$w_{2} = 16 \text{ lb}$$

$$r = 8.5 \text{ in} = 8.5 \text{ in} \frac{0.0254 \text{ m}}{1 \text{ in}} = 0.216 \text{ m}$$
Assume all the mass is concentrated at the center of each ball
$$m_{1} = \frac{w_{1}}{g} = \frac{72.6 \text{ N}}{9.8 \text{ m/s}^{2}} = 7.27 \text{ kg}$$

$$F_{1on2} = G \frac{m_{1}m_{2}}{r^{2}} = (6.67 \times 10^{-11} N \cdot m^{2} / kg^{2}) \frac{(7.27kg)^{2}}{(0.216m)^{2}} = 7.55 \times 10^{-8} N$$



## Gravity on other worlds

## PRS

8

A 60 kg person stands on each of the following planets. Rank order her weight on the three bodies, from highest to lowest.

