## Announcements 21 Apr 09

Homework \#10

- Online and written homework assignments due tomorrow
- When using momentum conservation to solve a collision problem, remember that some velocities (and thus momenta) can be negative!
- Girl on a trampoline problem: consider girl grabbing box like a collision

Monday schedule will be observed today:

- Lecture at 9:05 am
- Early office hours (2:00 to 3:30 pm)
- SI session @ LRC (7:15 to 8:30 pm)


## Elastic vs. inelastic collisions

## (Perfectly) Elastic collision:

When mechanical energy is conserved
Before:
 $K_{\text {i }}$

Energy is stored in compressed
During:

After:

(Perfectly) Inelastic collision:


When colliding objects "stick" $\qquad$
together after the collision


## Elastic collisions

## Perfectly Elastic collision:

 here we have $\left(v_{2 x}\right)_{i}=0$Momentum conservation along x axis:
$m_{1}\left(v_{1 x}\right)_{i}=m_{1}\left(v_{1 x}\right)_{f}+m_{2}\left(v_{2 x}\right)_{f}$

| Before: (1) $^{\vec{v}_{1 i}}$ (2) |  |
| :---: | :---: |
| During: | (1) 2 ) |
| After: |  |

Cannot determine the final velocities even if the initial velocities are known, but...

Mechanical energy conservation $\left(\Delta E_{t h}=0\right)$ :

$$
\frac{1}{2} m_{1}\left(v_{1 x}\right)_{i}^{2}=\frac{1}{2} m_{1}\left(v_{1 x}\right)_{f}^{2}+\frac{1}{2} m_{2}\left(v_{2 x}\right)_{f}^{2}
$$

Momentum conservation + energy conservation yield:

$$
\begin{aligned}
& \left(v_{1 x}\right)_{f}=\frac{m_{1}-m_{2}}{m_{1}+m_{2}}\left(v_{1 x}\right)_{i} \\
& \left(v_{2 x}\right)_{f}=\frac{2 m_{1}}{m_{1}+m_{2}}\left(v_{1 x}\right)_{i}
\end{aligned}
$$

## Elastic vs. inelastic collisions

## Note:

Momentum conservation applies
to both elastic and
inelastic collisions
if there is no external force

(or this force can be neglected during the short time
over which a collision occurs)

DEMOS: gliders on air track
Newton's cradle
double ball drop


- Two cars with the same mass...
- Both reach $60 \mathrm{mph} . .$.

Same final kinetic energy, but different times mean different powers

$$
\begin{aligned}
& P=\frac{W}{\Delta t} \\
& \begin{array}{l}
\text { Unit of power: } \\
1 \text { Watt }=1 \mathrm{~J} / \mathrm{s}
\end{array}
\end{aligned}
$$

## Power question

Five toy cars accelerate from rest to their top speed in a certain amount of time. The masses of the cars, the final speeds, and the time to reach this speed are noted in the table. Which car has the greatest power?

| Car | Mass (g) | Speed (m/s) | Time (s) |
| :---: | :---: | :---: | :---: |
| A | 100 | 3 | 2 |
| B | 200 | 2 | 2 |
| C | 200 | 2 | 3 |
| D | 300 | 2 | 3 |
| E | 300 | 1 | 4 |

$$
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$$

## Power question

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$$
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$$

$$
\Delta K+\Delta U=W
$$

Treat engine as applying a force external to the system (= car), thereby doing work on the system (transferring energy to the system)

Muscle power problem
A 58 kg female athlete raised a 78 kg bar by a vertical distance of 1.5 m in 2.4 s . What is the power output of the weightlifter?


## Muscle power problem

A 58 kg female athlete raised a 78 kg bar by a vertical distance of 1.5 m in 2.4 s . What is the power output of the weightlifter?


System: bar + earth
Environment: weightlifter does work on the system
$\frac{\text { Energy conservation: }}{\Delta K+\Delta U=W}$
$0+\left(U_{f}-U_{i}\right)=W$
$0+(m g h-0)=W$
$\Rightarrow W=(78 \mathrm{~kg}) \times\left(9.8 \mathrm{~m} / \mathrm{s}^{2}\right) \times(1.5 \mathrm{~m})=1150 \mathrm{~J}$

Know :
$m=78 \mathrm{~kg}$
$h=1.5 \mathrm{~m}$
$\Delta t=2.4 \mathrm{~s}$
Find :
$P=$ ?

Power output:

## Racing track question

Two identical balls roll down separate tracks. They are released at the same time from the highest point. Which of the two balls will first arrive at the end of its track? Neglect friction.

A. Ball rolling down track $A$ (in front) will arrive first.
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PRS
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