

## Announcements 4 May 09

- **Homework**

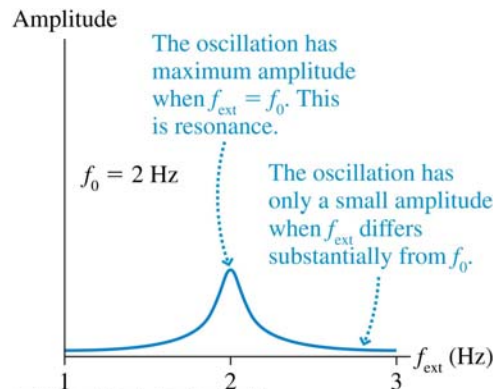
- Online homework #12 due tomorrow by 8 am
- Homework #13 (last one!) will be due next week

- **Exam 3**

- Wednesday May 6 from 7 to 9 pm
- See info on course blog
- Help session tonight 5:30 – 7:00 pm (in HAS 20)
- SI session tonight 7:15 – 8:30 pm (in DuBois 1085)

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## Resonance



*DEMO:*  
*glass beaker breaking*

- A system displaced from its equilibrium position will oscillate with a *natural frequency*  $f_0$  if left to oscillate freely.
- If an oscillating external force is exerted with a *driving frequency*  $f_{\text{ext}}$  then the system will also oscillate at frequency  $f_{\text{ext}}$ . The amplitude of this oscillation is amplified when  $f_{\text{ext}}$  is close to  $f_0$ . *We then talk about a resonance.*

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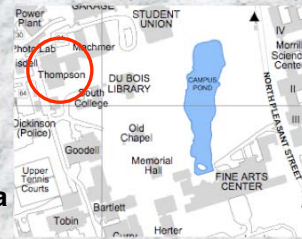
## Exam #3 Information (I)

- **What will be covered?**
  - Momentum (Chapter 9 of the textbook Secs. 1-5)
  - Energy and work (Chapter 10 Secs. 1-10 and Ch 11 Secs. 1-6)
  - Oscillations (Chapter 14 Secs. 1-7)
  - Material from homework assignments #9, #10, #11, #12
- **Exam format**
  - Multiple choice + 1 written problem
  - Mixture of conceptual questions (PRS like) and numerical problems (homework like)
  - Sample exam provided for practice (sample exam will be discussed during the special help session)

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## Exam #3 Information (II)

- **Exam location on Wednesday May 6 from 7 to 9 pm**
  - **Location depends on the first letter of your last name:**
    - A through F THOM 102
    - G through O THOM 104
    - P through Z THOM 106



- **What to take to the exam?**
  - Calculator, #2 pencil, *hand-written* formula sheet + student ID
  - No book, no scratch paper (should not be needed)
- **Resources**
  - Help session on Monday May 4 from 5:30 to ~7:00 pm in HAS 20
  - Sample exam 3 + homework + lecture notes + MasteringPhysics Exam 3 practice + textbook problems (answers to odd-numbered problems are in the back of the book)

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### Exam 3: units

#### Use SI units

*Generally need to convert all quantities to SI units*

distance unit:	m
mass unit:	kg
time unit:	s
force unit:	N (or kg m/s <sup>2</sup> )
momentum unit:	kg m/s
energy unit:	J (or kg m <sup>2</sup> /s <sup>2</sup> )

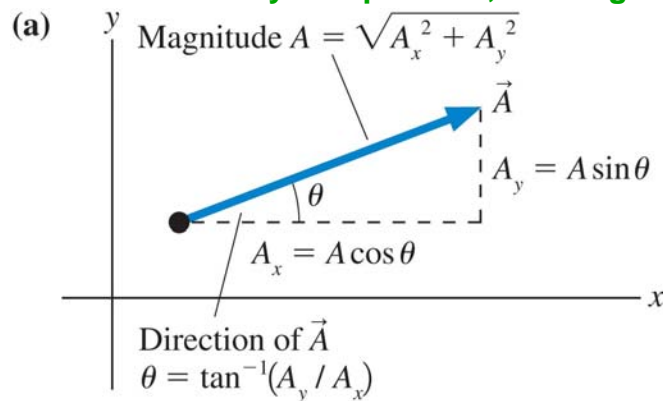
#### Conversions

1 km = 10 <sup>3</sup> m	1 cm = 10 <sup>-2</sup> m	1 mi = 1600 m
1 gram = 10 <sup>-3</sup> kg		
1 h = 3600 s	1 min = 60 s	
1 lb = 4.45 N		
1 cal = 4.19 J		
1 "food calorie" is 1 Cal = 1 kcal = 4190 J		
360° = 2π radians		

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### Exam 3: vectors & concepts

#### Work with x- and y-components, and angle $\theta$



#### Know and understand main concepts in the lecture notes

impulse, momentum, energy, work, heat, collisions, oscillations

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### Exam 3: Equation toolkit

#### Impulse (J) and Momentum (p)

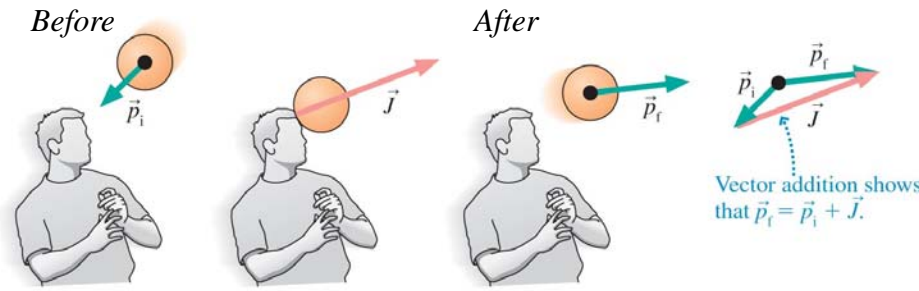
remember these are vector quantities  
important to keep track of direction  
(negative for motion to the left)

$$\vec{J} = \vec{F}\Delta t$$

$$\vec{J} = \vec{p}_f - \vec{p}_i = \Delta\vec{p}$$

$$\vec{p} = m\vec{v}$$

*m*: mass of object  
*v*: velocity of object



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### Exam 3: Equation toolkit

#### Collisions and Explosions

analyze with *momentum conservation* (p is vector quantity!)  
can apply momentum conservation if system is isolated or  
if external forces can be neglected during brief moment of  
collision

**SOLVE** The mathematical representation is based on the law of conservation of momentum:  $\vec{P}_f = \vec{P}_i$ . In component form, this is

$$(p_{1x})_f + (p_{2x})_f + (p_{3x})_f + \dots = (p_{1x})_i + (p_{2x})_i + (p_{3x})_i + \dots$$
$$(p_{1y})_f + (p_{2y})_f + (p_{3y})_f + \dots = (p_{1y})_i + (p_{2y})_i + (p_{3y})_i + \dots$$

- typical cases:
1. collision between two objects
  2. explosion into two parts
- ( $P_i = 0$  if “exploding” object is at rest)

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### Exam 3: Equation toolkit

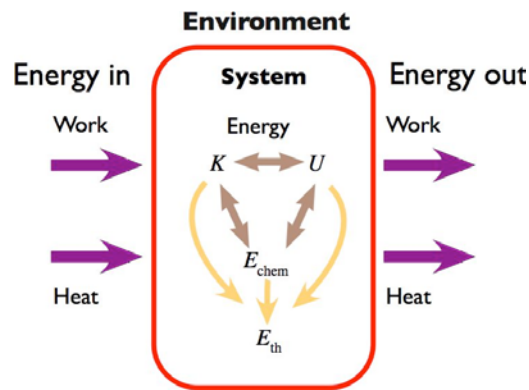
#### Energy

- A system is characterized by a total energy  $E$

$$E = K + U_g + U_s + E_{th} + E_{chem} + \dots$$

- Energy is conserved if system is isolated, or  $\Delta E = W + Q$

$$\Delta K + \Delta U_g + \Delta U_s + \Delta E_{th} + \Delta E_{chem} + \dots = W + Q$$



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### Exam 3: Equation toolkit

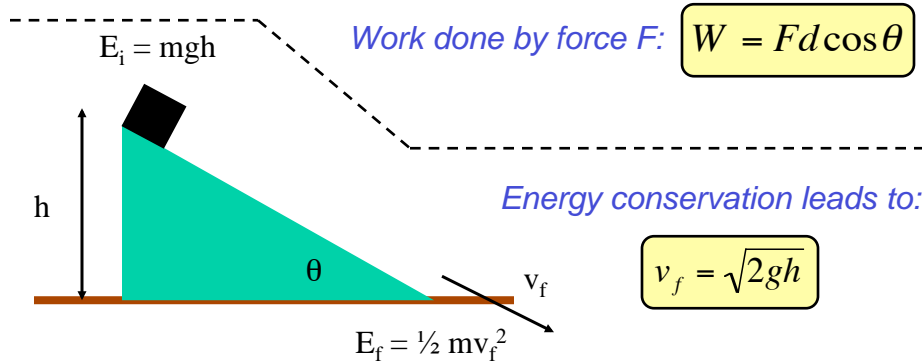
#### Energy

- Kinetic energy
- Gravitational potential energy
- Spring potential energy

$$K = \frac{1}{2}mv^2$$

$$U_g = mgy$$

$$U_s = \frac{1}{2}kx^2$$



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### Exam 3: Equation toolkit

#### Thermal Energy & Temperature (Ideal Gas)

- **Temperature** is related to average kinetic energy of the atoms  $T = \frac{2}{3} \frac{K_{\text{avg}}}{k_B}$
- Typical **speed** of atoms in the gas  $v_{\text{rms}} = \sqrt{\frac{3k_B T}{m}}$
- **Thermal energy** of a system of N atoms  $E_{\text{th}} = \frac{3}{2} N k_B T$

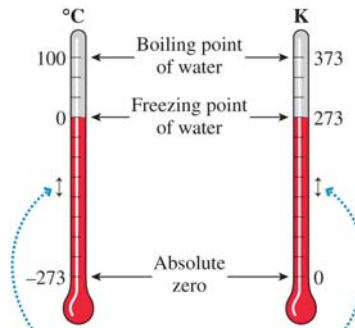
Boltzmann's constant:  $k_B = 1.38 \times 10^{-23} \text{ J/K}$

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### Exam 3: Equation toolkit

#### Thermal Energy & Temperature (Ideal Gas)

- **Celsius scale ( $T_C$ )**  
 0 °C freezing point of pure water  
 100 °C boiling point of pure water
- **Fahrenheit scale ( $T_F$ )**  
 $T_C = \frac{5}{9}(T_F - 32^\circ)$
- **Kelvin scale ( $T$ )** use Kelvin for  $E_{\text{th}}$  and temperature calculations  
 0 K kinetic energy of atoms is zero  
 $T = T_C + 273$



Temperature differences are the same on the Celsius and Kelvin scales. The temperature difference between the freezing point and boiling point of water is 100°C or 100 K.

$$e_{\text{max}} = 1 - \frac{T_C}{T_H}$$


Theoretical maximum efficiency of a heat engine

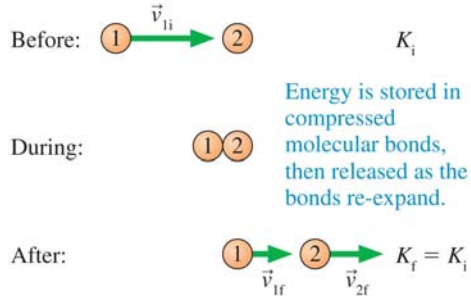
Heat Engine max efficiency

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### Exam 3: Equation toolkit

#### Collisions

- Perfectly elastic:  momentum and mechanical energy is conserved
- Perfectly inelastic: (objects “stick” together after the collision) **only momentum is conserved**



#### Power

Energy / time

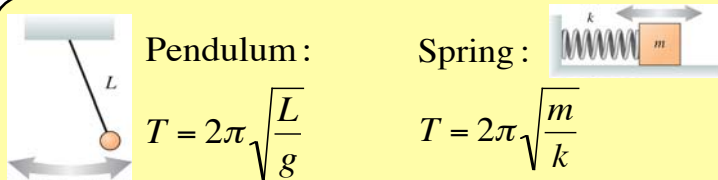
$$P = \frac{W}{\Delta t}$$

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### Exam 3: Equation toolkit


#### Oscillations

Period of oscillation  $T$  (time for one cycle) does not depend on the displacement from equilibrium



Pendulum:  $T = 2\pi\sqrt{\frac{L}{g}}$

Spring:  $T = 2\pi\sqrt{\frac{m}{k}}$

Simple harmonic motion described by 

Frequency  $f = \frac{1}{T}$

$$x(t) = A \cos(2\pi f t)$$

$$v_x(t) = -(2\pi f) A \sin(2\pi f t)$$

$$a_x(t) = -(2\pi f)^2 A \cos(2\pi f t)$$

Amplitude  $A$  = max displacement from equilibrium point

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